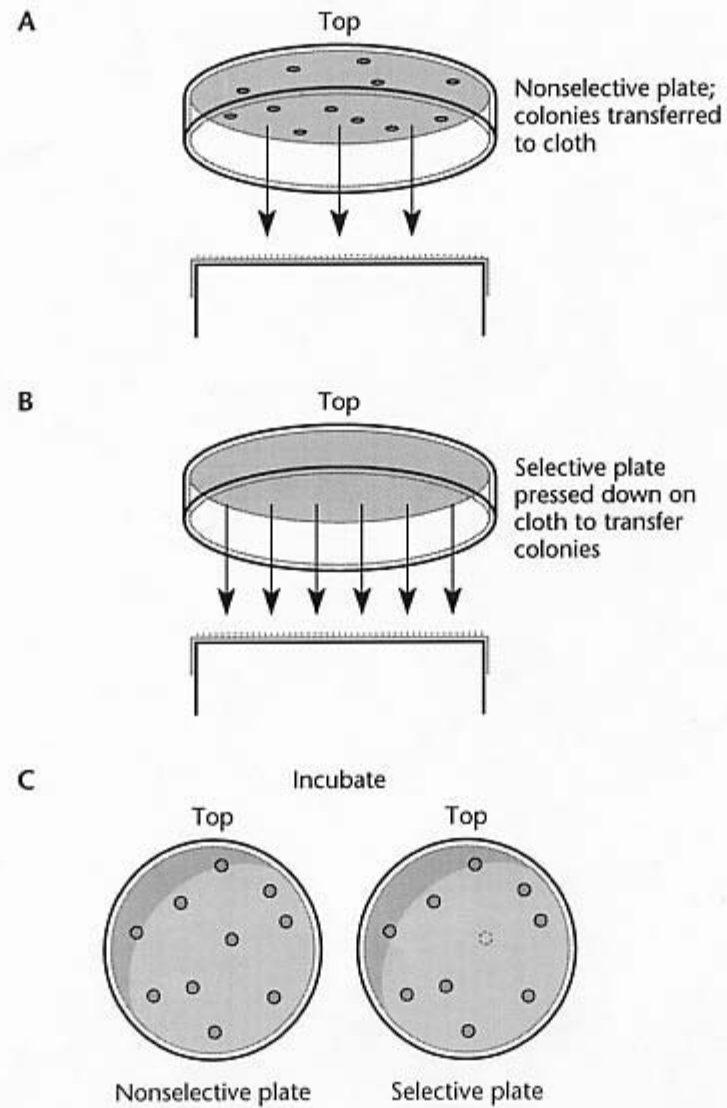


Figure 3.22



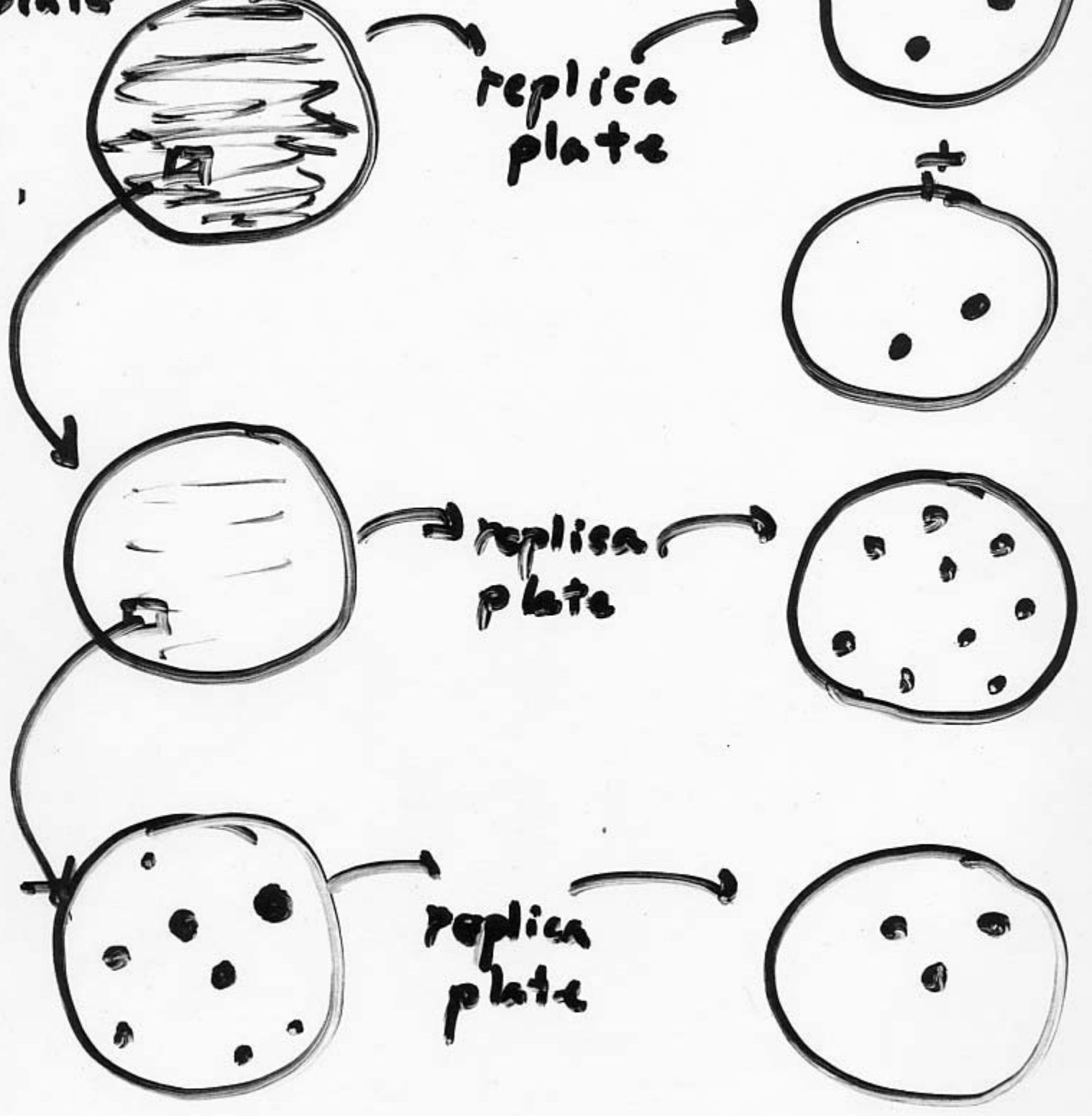
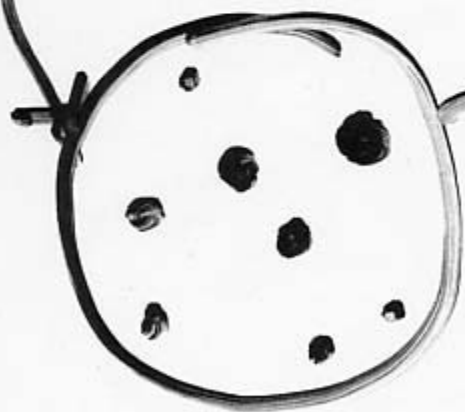
non-phage agar plate

phage-coated agar plates

replica plate

replica plate

replica plate



MUTATION RATE

$$\begin{aligned}\text{mutation rate} &= \alpha = \text{mutation/cell/} \div \\ &= \text{mutations/cell div} \\ &= \text{mutations/cell generations}^{\times}\end{aligned}$$

→ text: Here,

"Cell generations" = no. of cell div.
= no. of cells (N)

Confusion source

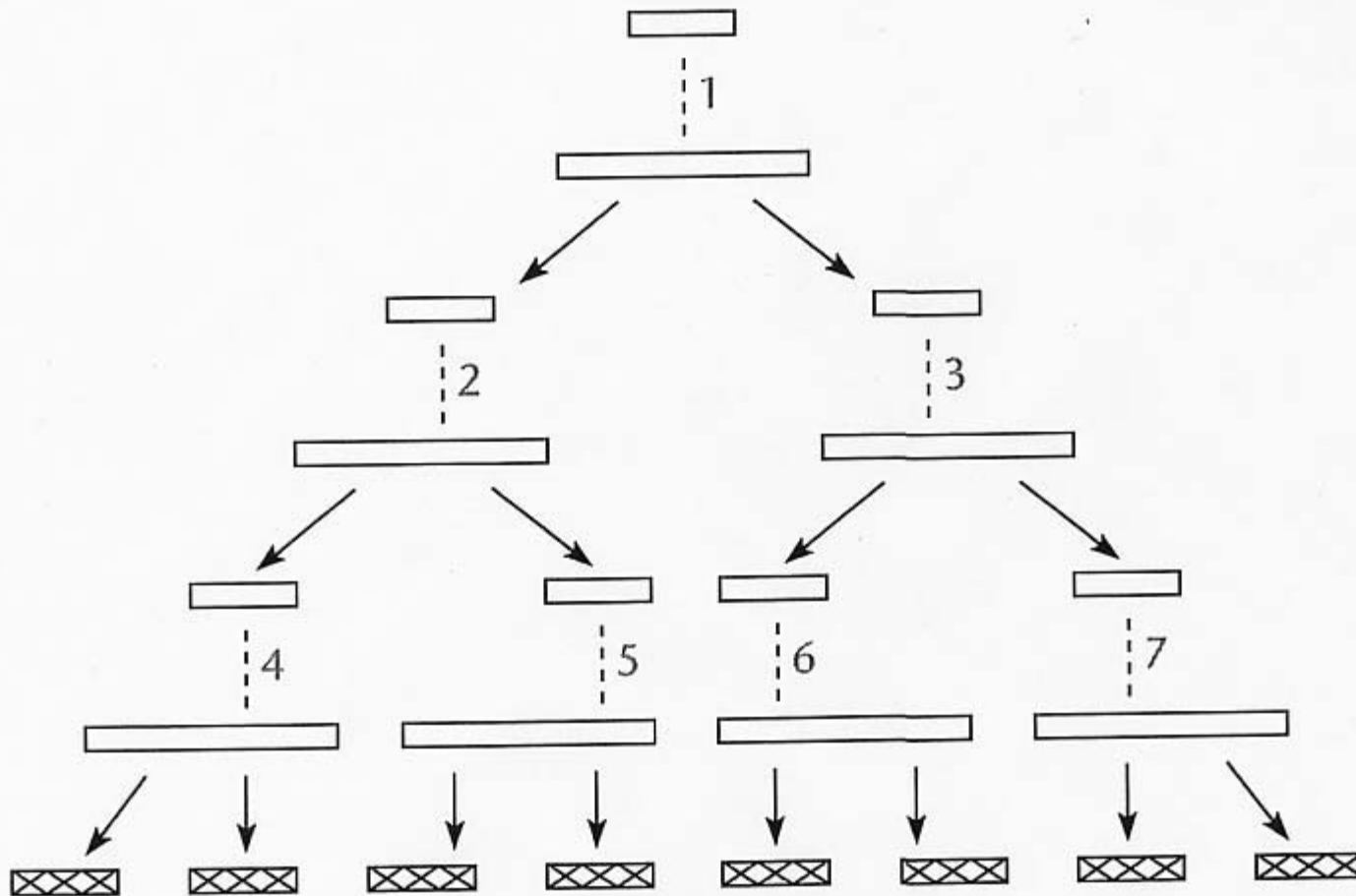
$$10^8 \text{ cells} \rightarrow 2 \times 10^8 \text{ cells}$$

$$= 1 \text{ generation}$$

$$= 10^8 \text{ cell divisions}$$

$$\begin{aligned}\text{cell no } 2 \times 10^8 &= 2 \times 10^8 \text{ cell divisions} \\ &= 2 \times 10^8 \text{ cell generations}\end{aligned}$$

Figure 3.7



Fluctuation Test Results:

E.g., 20 cultures; 5.6×10^8 cells / culture

"1/20 cultures had no T1" mutants, \therefore no mutations

\therefore , the no. of cell generations / culture is known (5.6×10^8) and the ave. no. of mutations / culture can be calculated from the Poisson equation.

Poisson Equation (Distribution)

$$P_x(r) = \frac{e^{-x} x^r}{r!}$$

$P_x(r)$ = fraction of a large no. of boxes that will contain r objects if an ave. of x objects is distributed at random among the boxes.

$$0! = 1 \quad \text{by defn.}$$

$$e = \frac{1}{1!} + \frac{1}{2!} + \frac{1}{3!} \dots = 2.718$$

$$P_i = \frac{m^i e^{-m}}{i!} \quad (\text{text})$$

m = ave. no. of mutations/cultures.
" i " = probability of having i mutations in a culture

When $i = 0$, $P_i = 0.55$

$$0.55 = \frac{m^0 e^{-m}}{0!} = \frac{1 \cdot e^{-m}}{1} = e^{-m}$$

$$m = -\ln 0.55 = \underline{0.59}$$

\therefore mutation rate $\alpha = m/v$

$$= \frac{0.59}{5.6 \times 10^8} = 1.05 \times 10^{-9}$$

Poisson - a few general observations

For $m=1$

$$P_1(0) = e^{-1} = 0.37$$

$$P_1(1) = \frac{e^{-1} 1^1}{1!} = 0.37$$

$$P_1(2) = \frac{e^{-1} 1^2}{2!} = 0.19$$

$$P_1(3) = \frac{e^{-1} 1^3}{3!} = 0.06$$

$$\sum_0^{\infty} P(n) = 1.$$

$$P_5(0) = \frac{e^{-5} 5^0}{0!} = .0067$$
$$= .677\%$$

Newcombe Data

$$\alpha = \frac{m_2 - m_1}{N_2 - N_1} = \frac{49 - 8}{2.7 \times 10^9 - 2.6 \times 10^9}$$
$$= \frac{41}{2.54 \times 10^9} = 1.6 \times 10^{-8}$$

3rd procedure - Chemostat

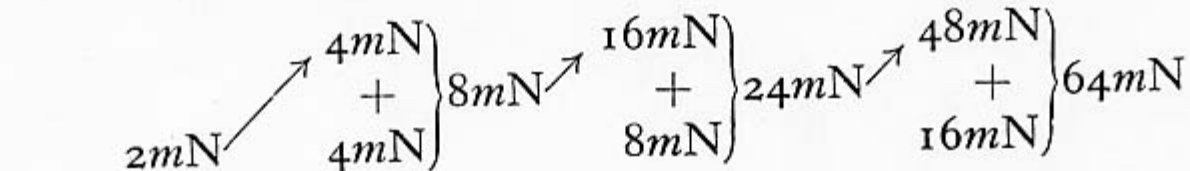
If not selected against,
the total no. of mutants
increases faster than the
total cell population

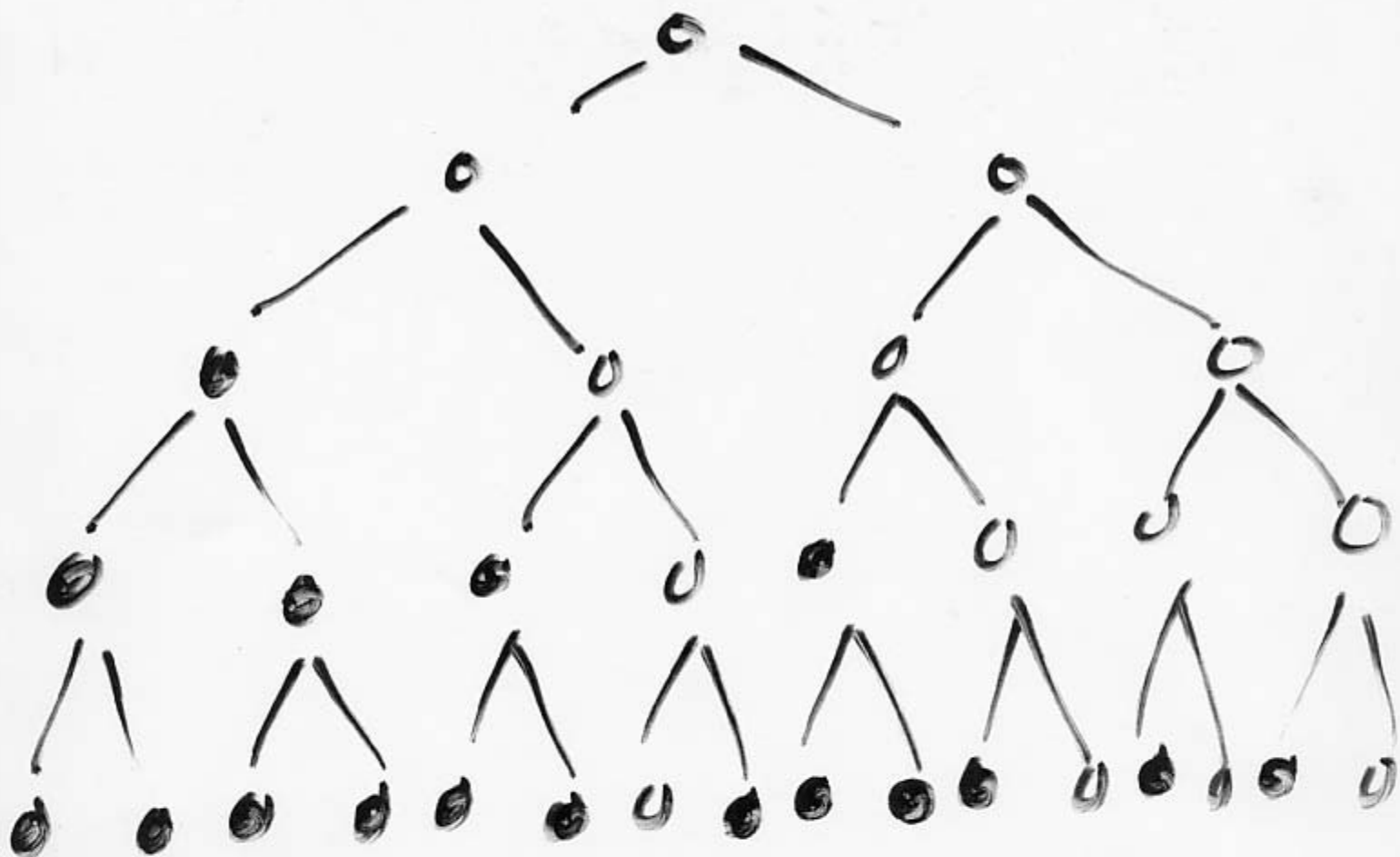
TABLE 10

The proportion of mutants to total cells in a growing population of bacteria. It is assumed that:

1. the growth rates of mutant and wild type bacteria are identical;
2. the mutation rate (m) is very low so that the number of wild type bacteria available to generate new mutants is virtually the same as the total number;
3. the probability of back-mutation of mutant bacteria to wild type is negligible over the experimental period.

Generation (division) cycles	1	2	3	4
Total No. bacteria	$N \longrightarrow 2N \longrightarrow 4N \longrightarrow 8N \longrightarrow 16N$			
No. old mutants		$4mN$	$16mN$	$48mN$
No. new mutants	$2mN$	$4mN$	$8mN$	$16mN$
Proportion mutant/total bacteria	m	$2m$	$3m$	$4m$





Each gen. contributes the same no. of mutants to the final population

$$n = g \times N$$

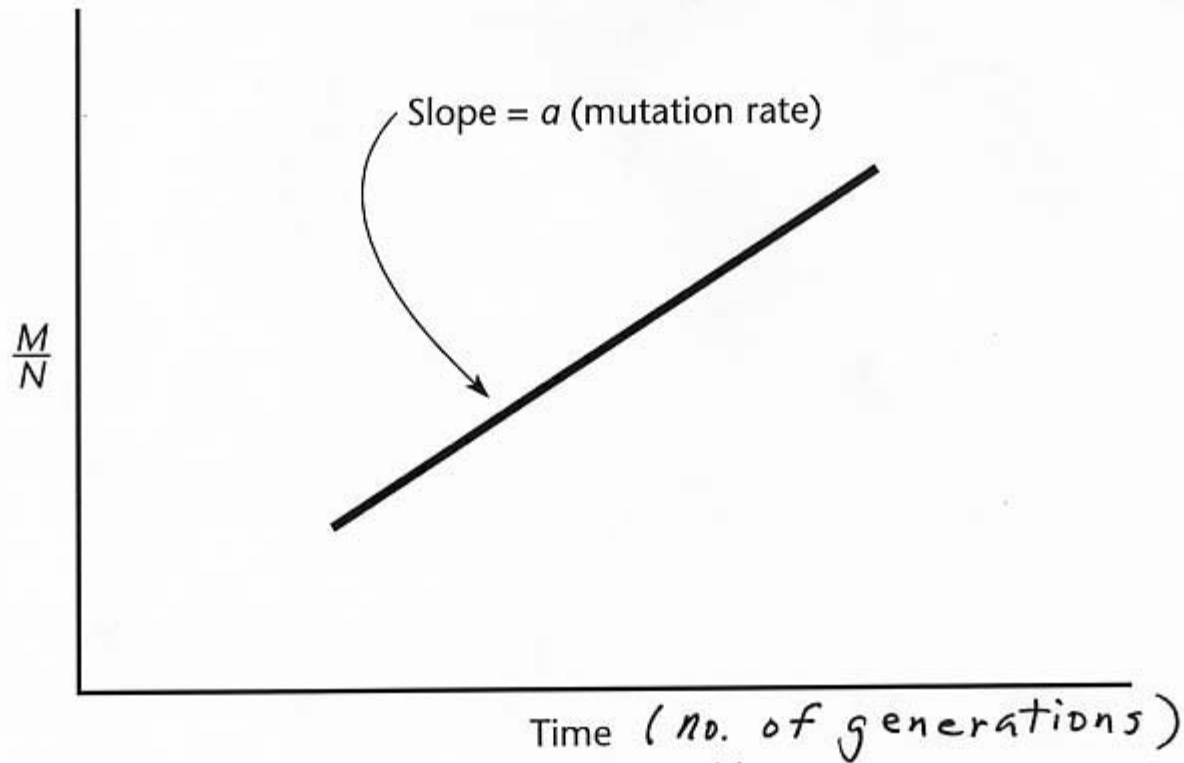
$$n = \bar{g} \times N/2$$

$$n = \bar{g} \times N/0.693$$

where n
equal no.
of mutants



Figure 3.8



$$\text{no. of mutants} = n = agN$$

$$\frac{n}{N} = ag$$

$$y = mx + b$$